

PMR 2450 - Projeto de Máquinas

Princípios de projeto de máquinas

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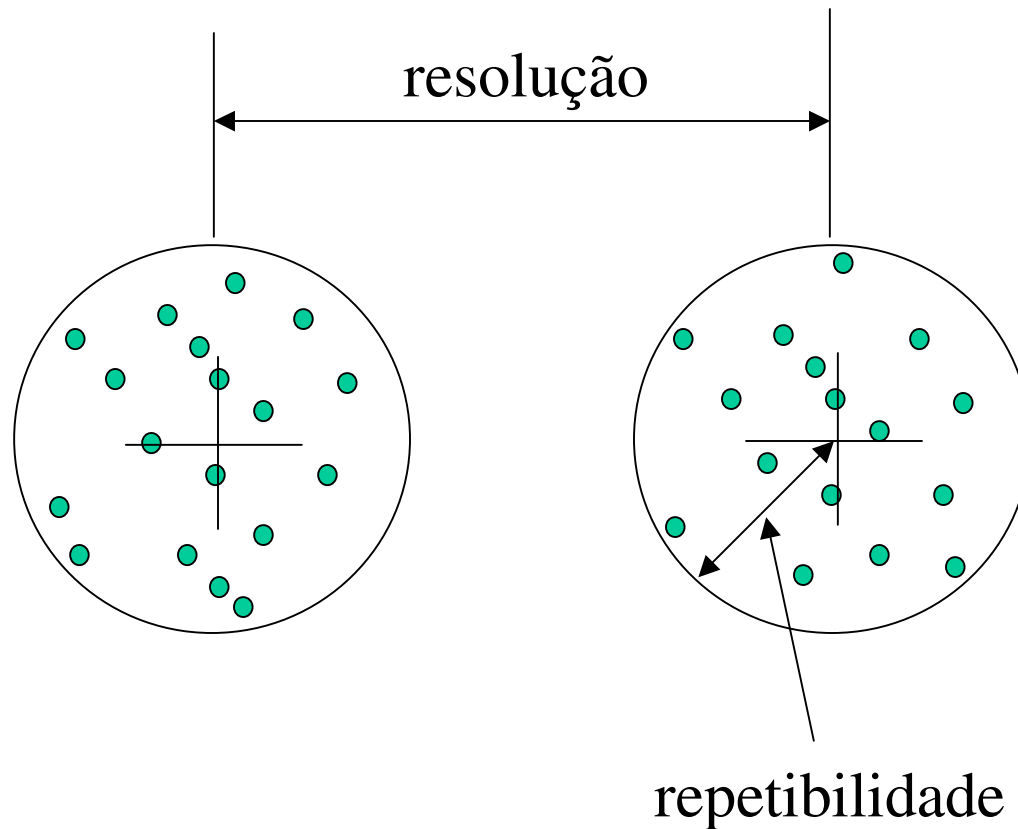
agosto/2005

Resolução, precisão e acurácia

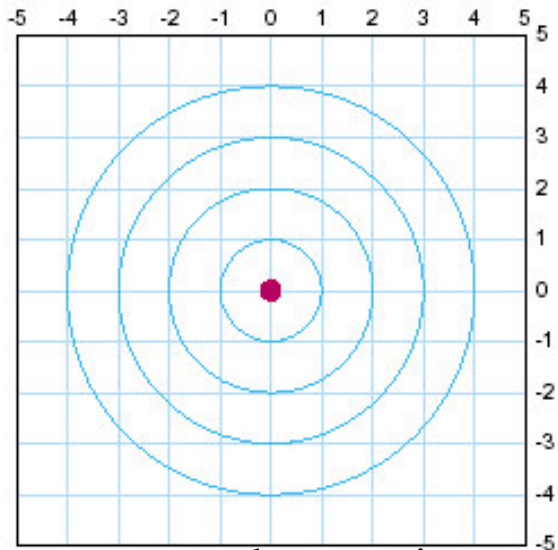
Resolução: menor deslocamento medido pela máquina

Precisão: capacidade de repetir o mesmo deslocamento

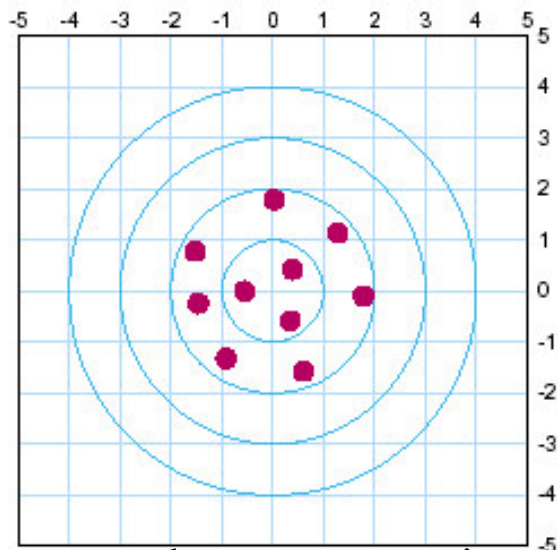
Acurácia: exatidão (padrão de medição)



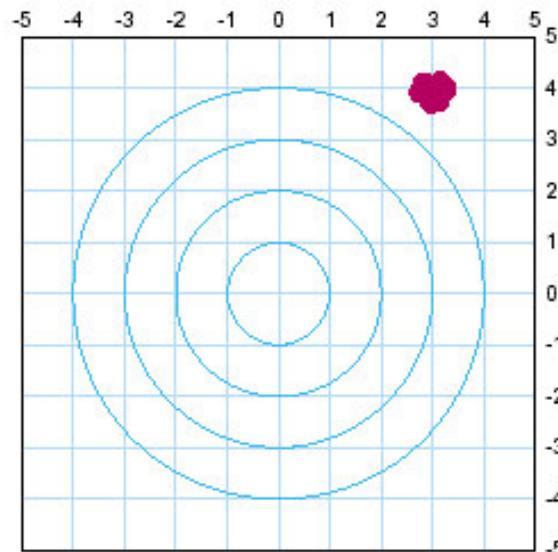
Precisão e acurácia



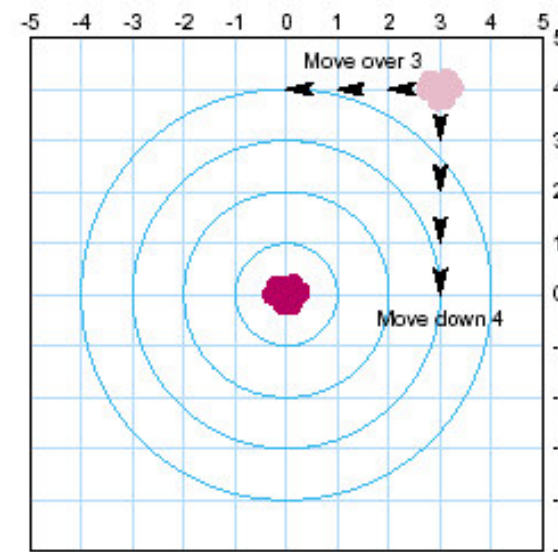
acurado e preciso



acurado e pouco preciso



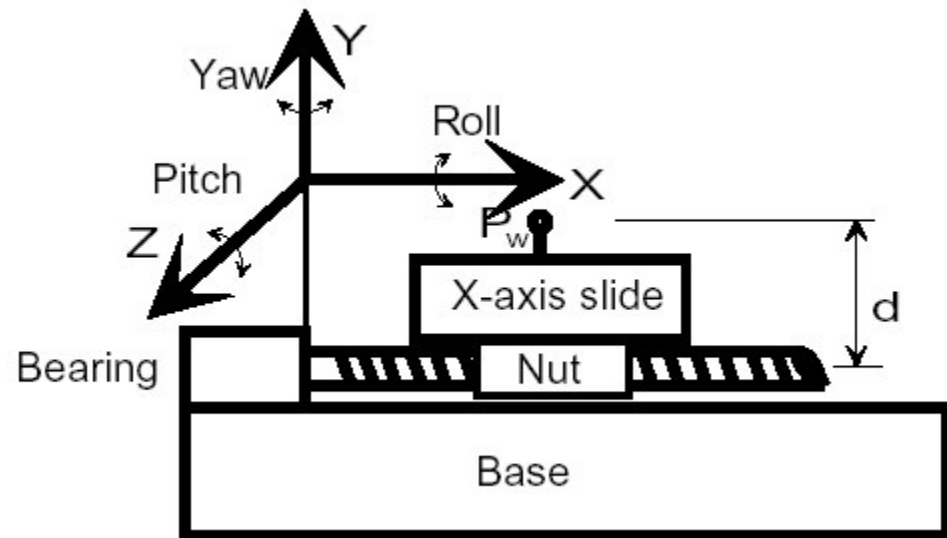
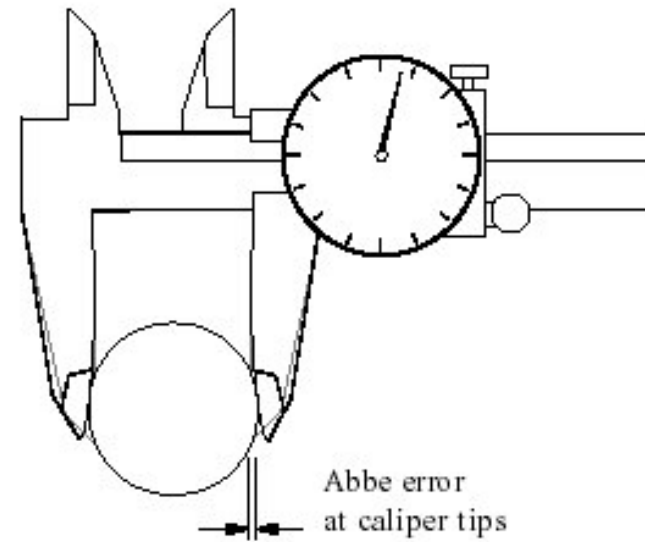
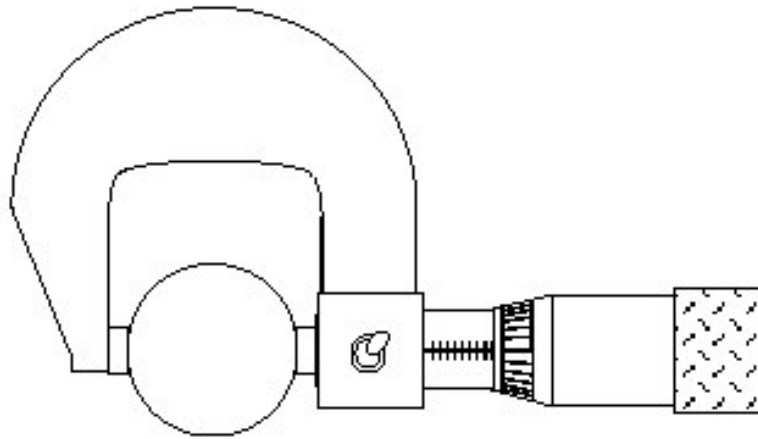
preciso e não acurado



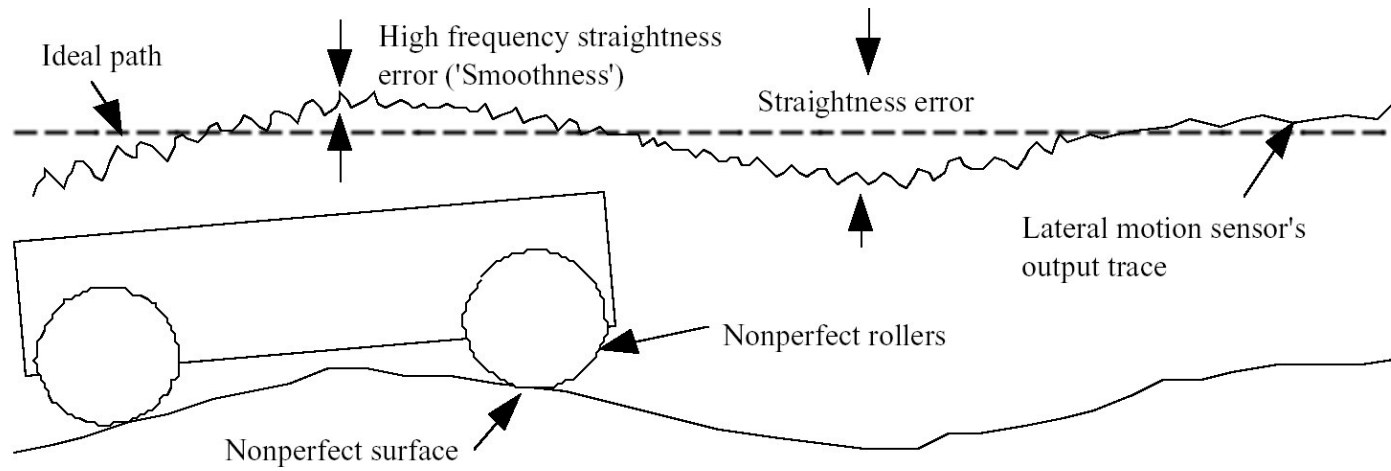
compensação de erro

Erros geométricos

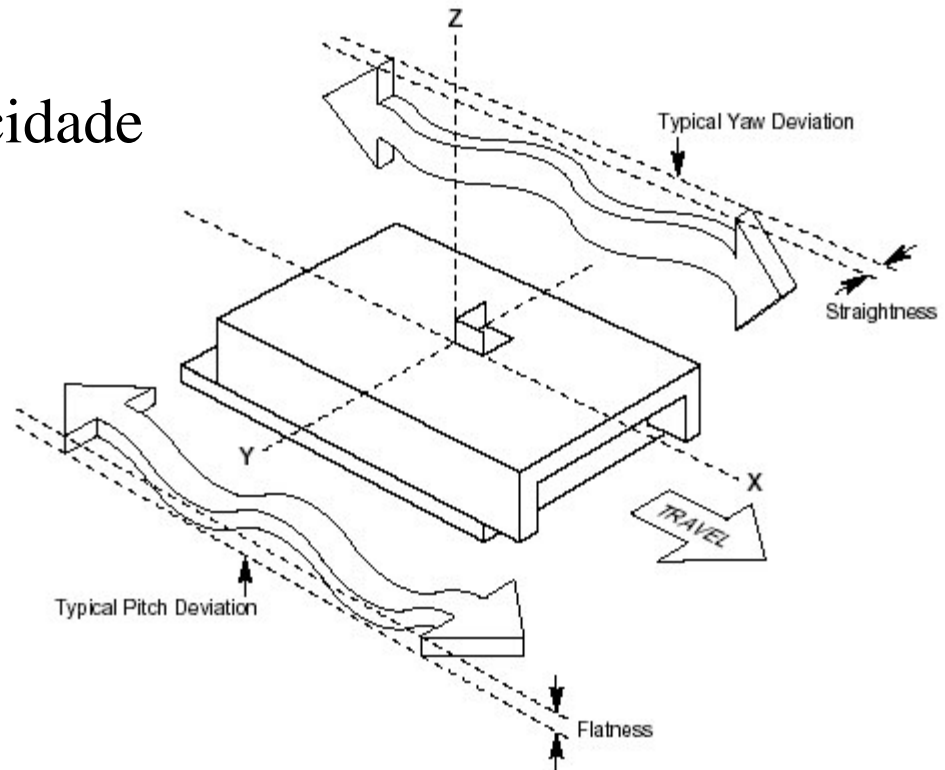
Erro de Abbe



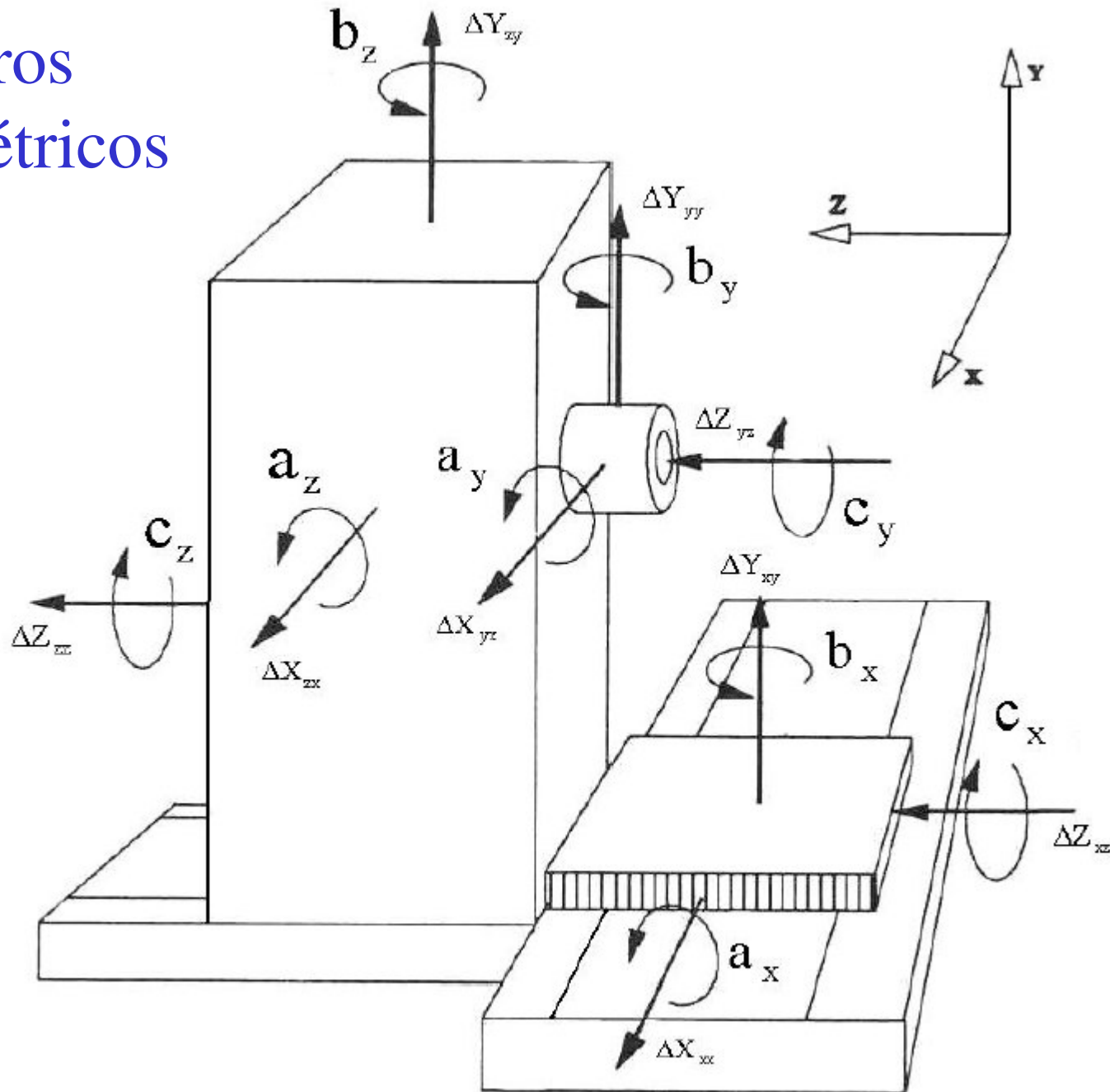
Erros de forma



linearidade e planicidade



Erros geométricos



Erros dinâmicos

Vibrações: frequências naturais, rigidez dinâmica

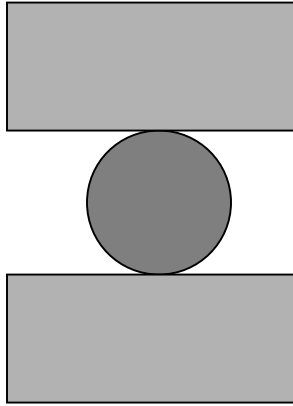
rigidez

massa

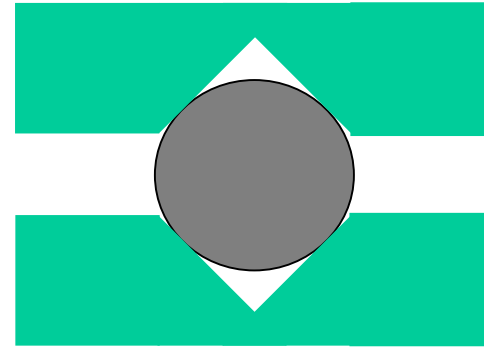
amortecimento

Excitação: rolamentos, eixo árvore, atuação

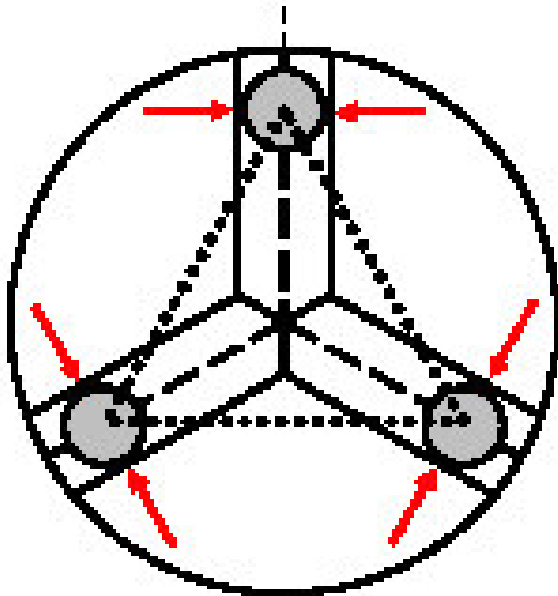
Princípio Cinemático



restringe 1 grau de liberdade

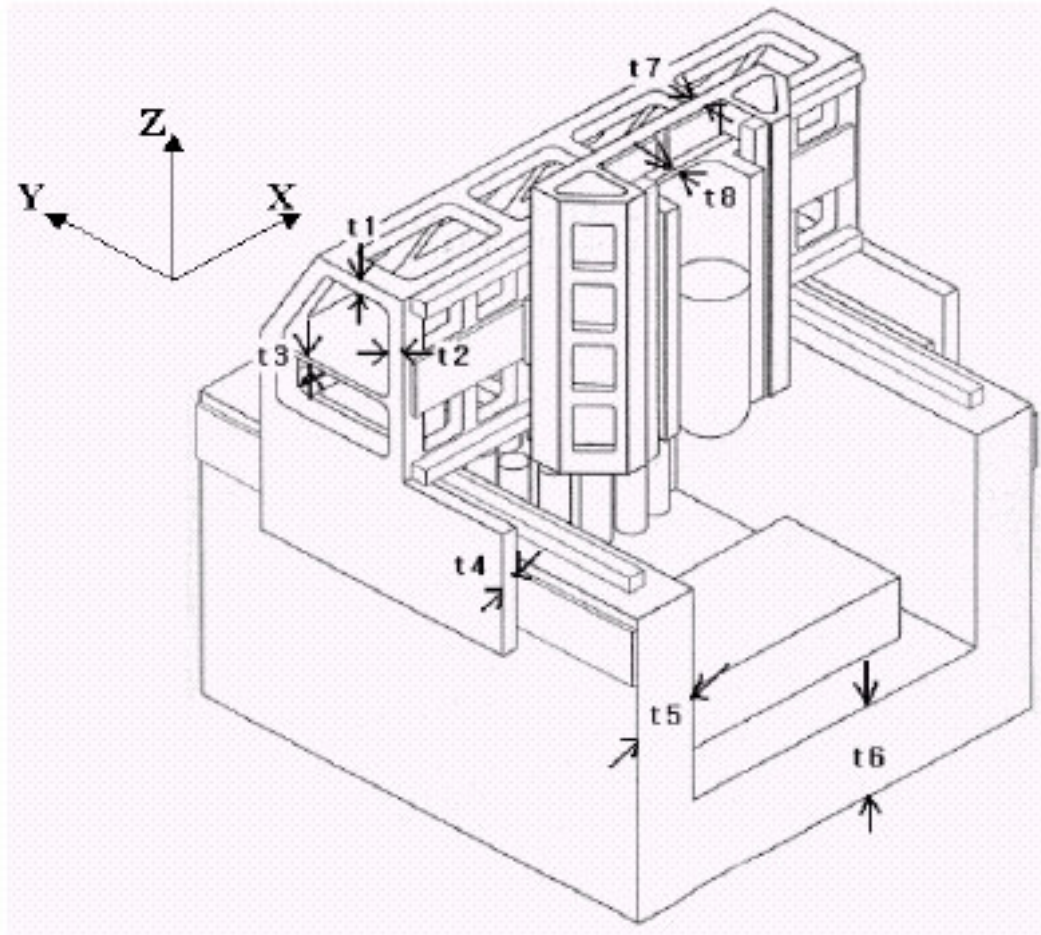


restringe 2 graus de liberdade



restringe 6 graus de liberdade

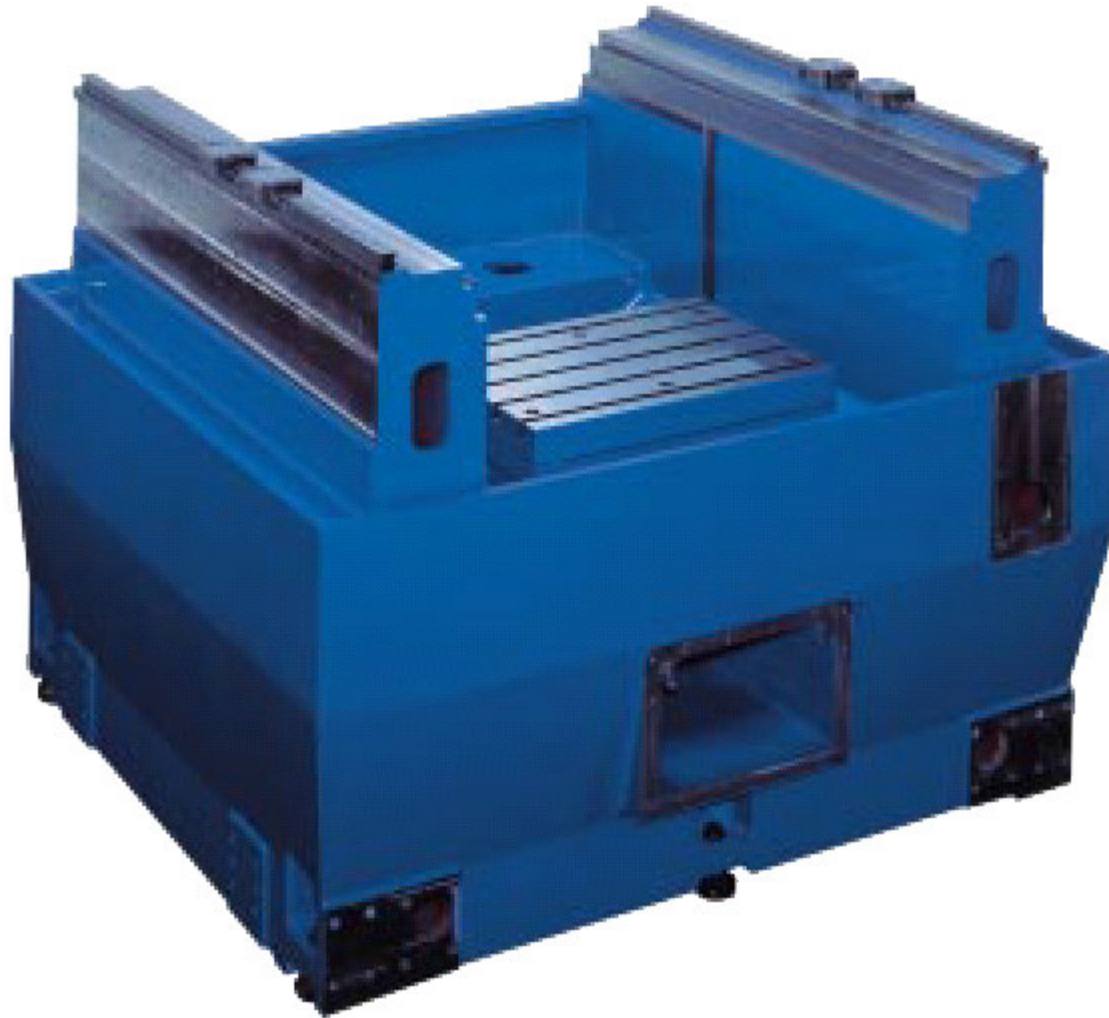
Estrutura de máquinas



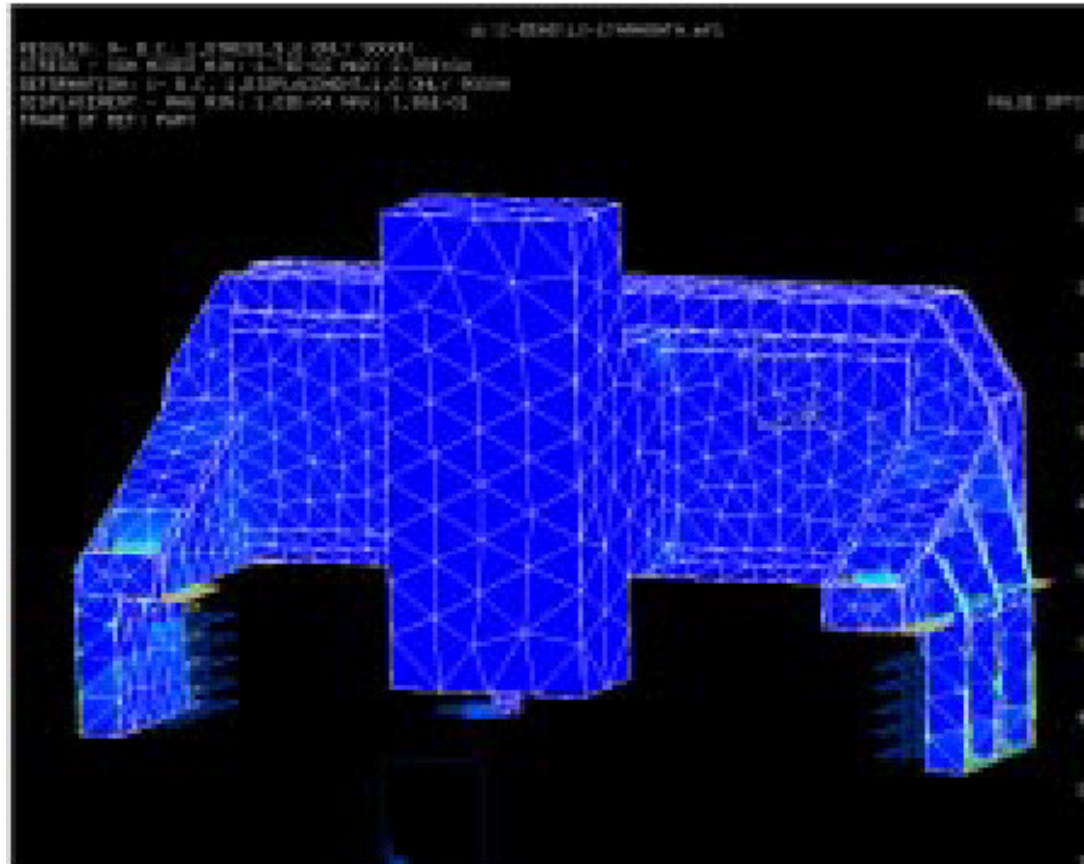
Base da máquina

Fixa:

ferro fundido



Móvel:
alumínio



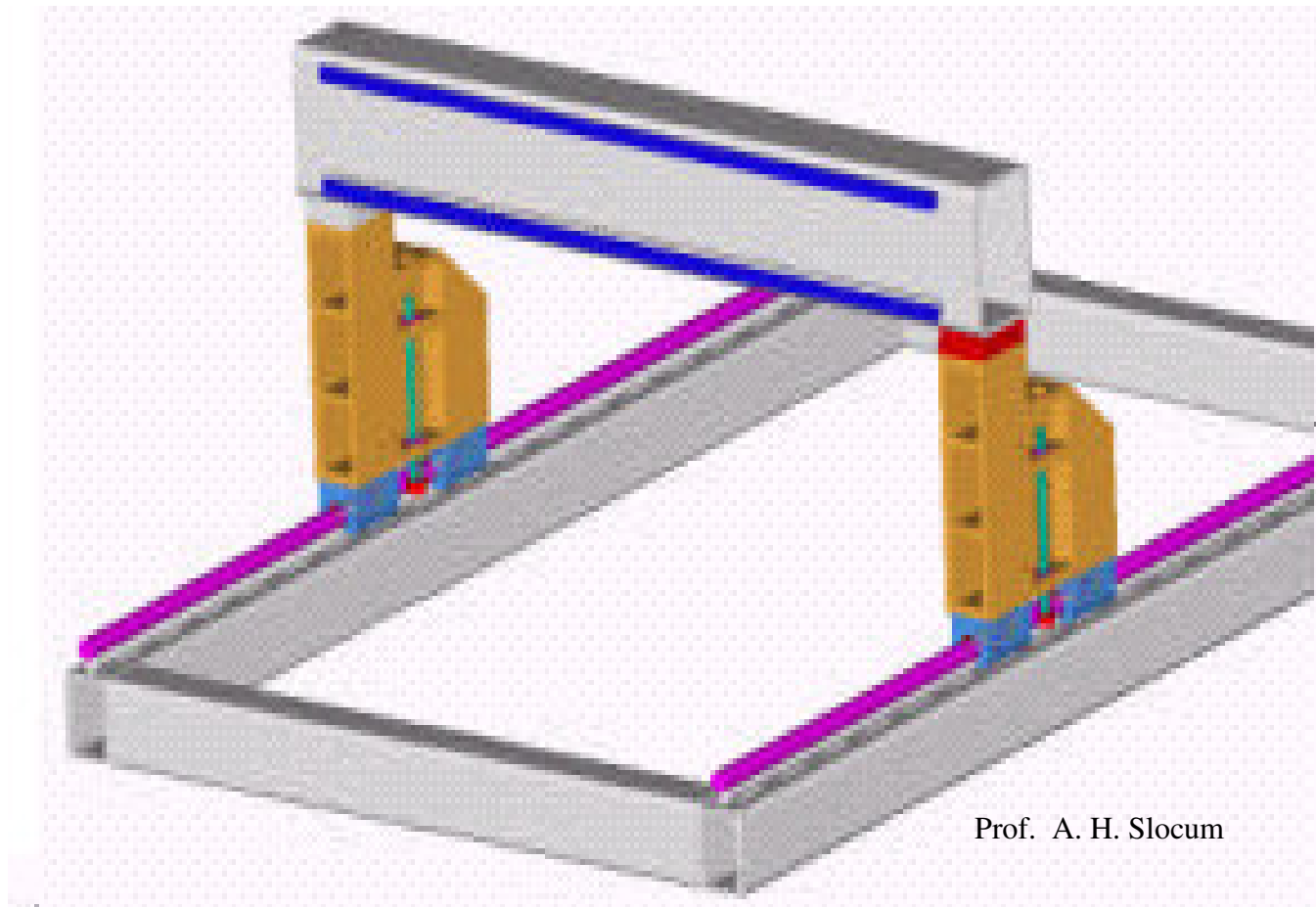
Rigidez

Massa

Deflexão, frequência natural

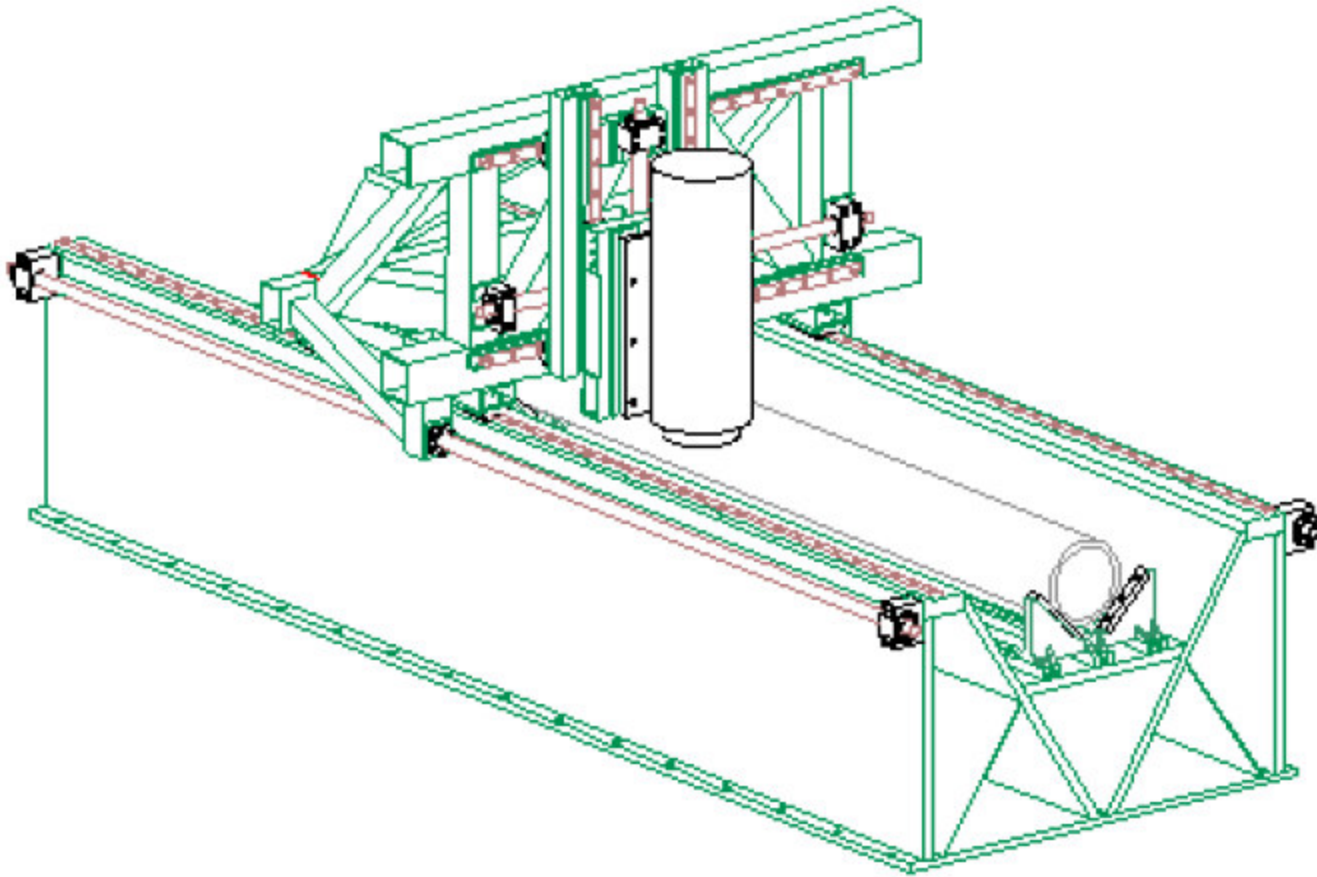
Estrutura com chapas e perfis tubulares

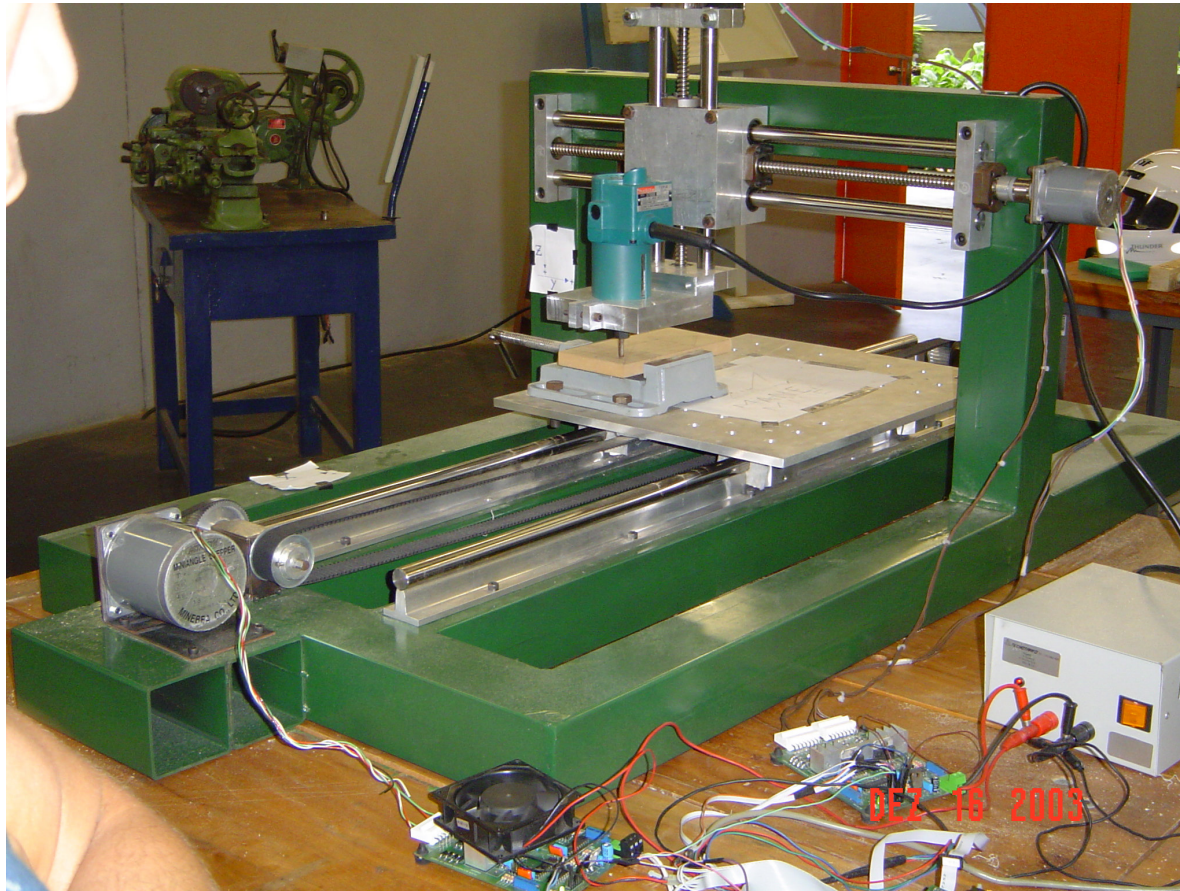
uniões: solda, parafuso



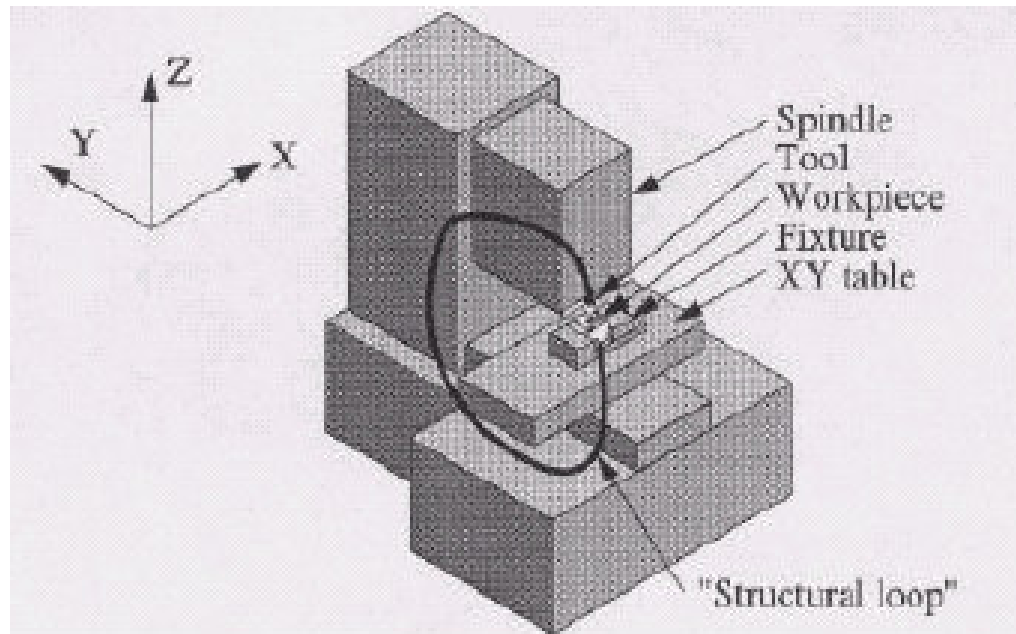
Prof. A. H. Slocum

Exemplo de máquina com estrutura soldada

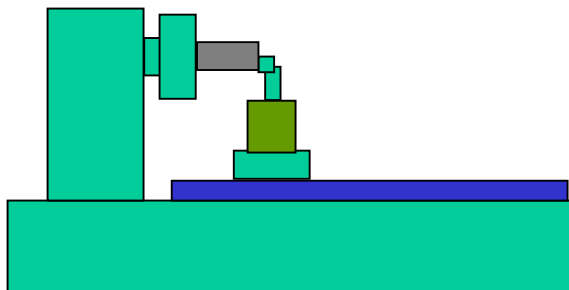




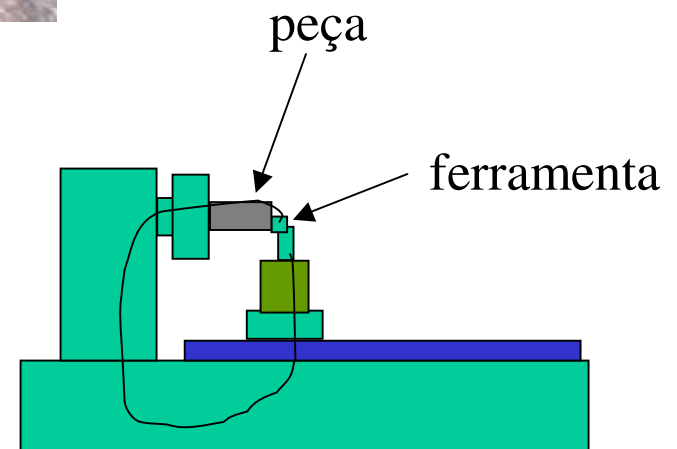
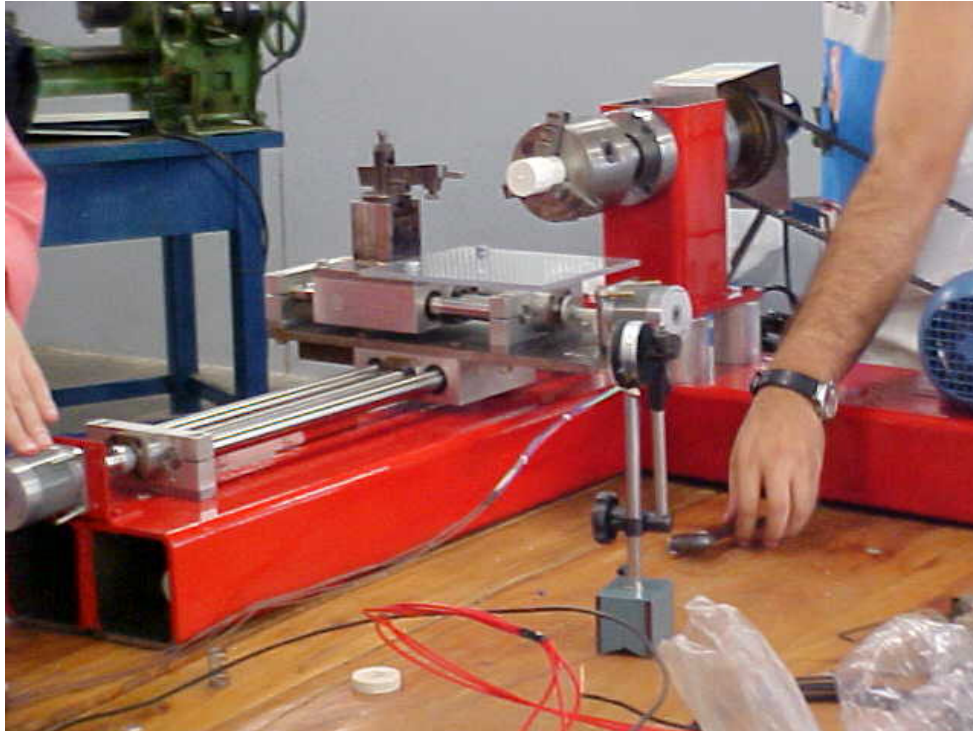
Loop estrutural



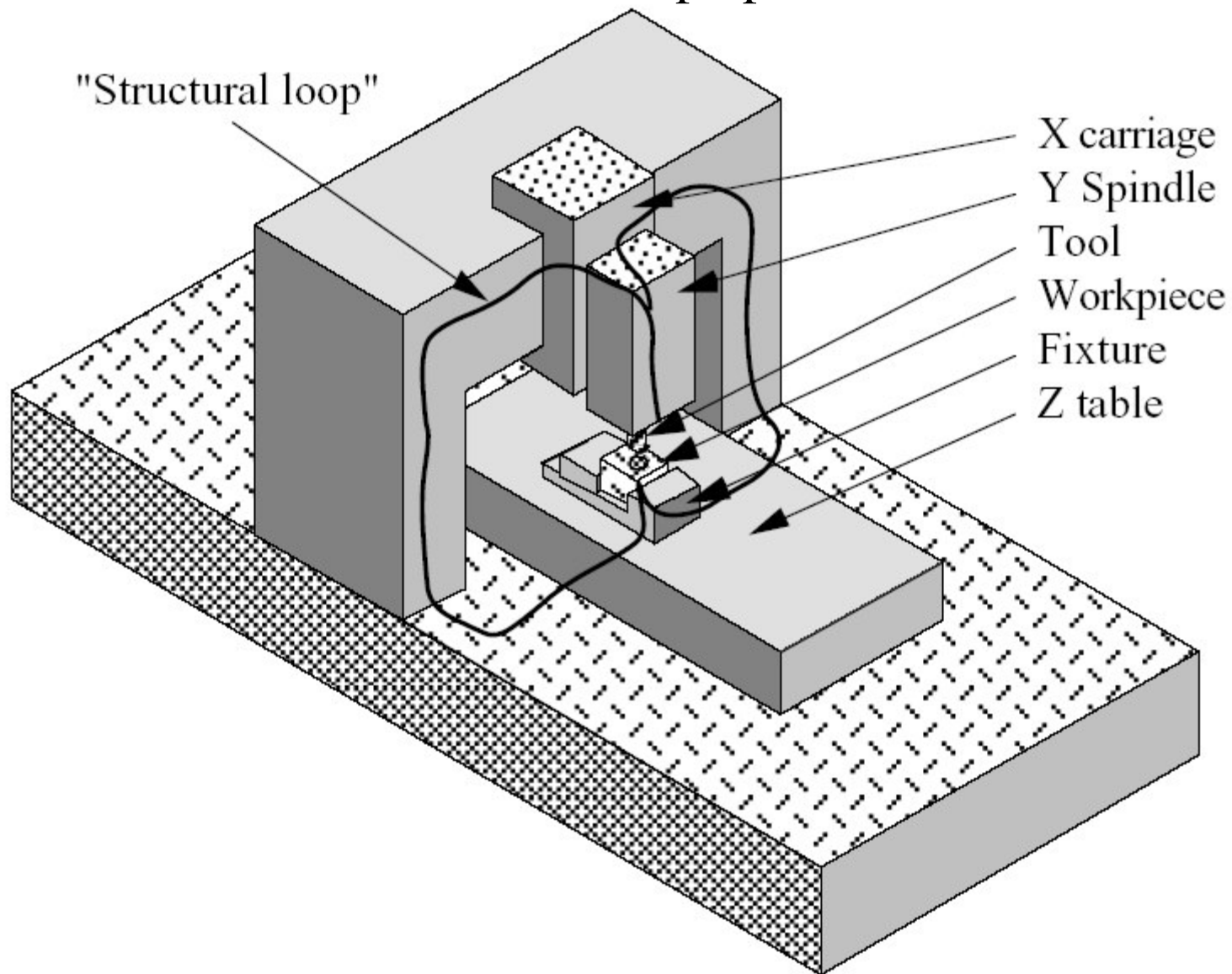
Livro do prof. A. Slocum



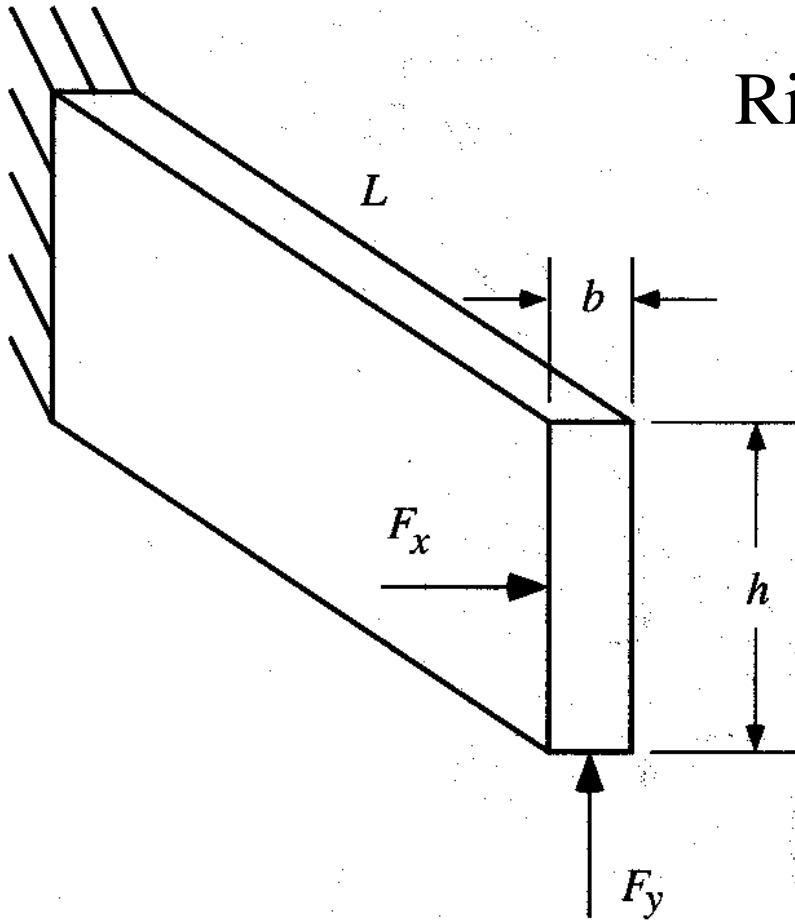
Exemplo



Estrutura tipo pórtico



Rigidez

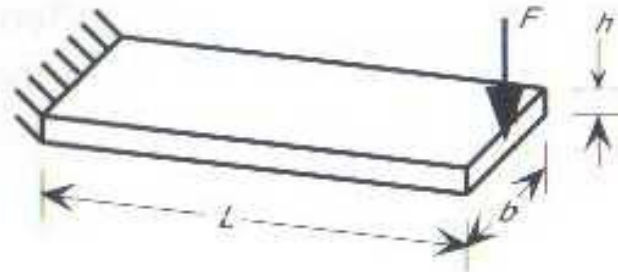


$$\delta_x = \frac{F_x L^3}{3EI_x}; I_x = \frac{hb^3}{12} \Rightarrow \delta_x = \frac{4F_x L^3}{Ehb^3}$$

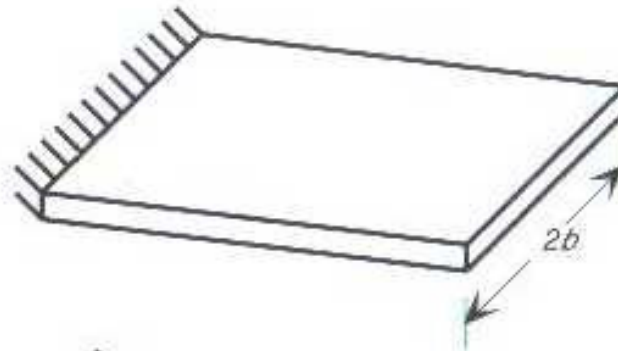
$$\delta_y = \frac{F_y L^3}{3EI_y}; I_y = \frac{bh^3}{12} \Rightarrow \delta_y = \frac{4F_y L^3}{Ebh^3}$$

Deflection

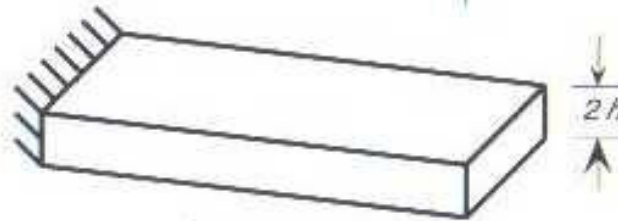
δ



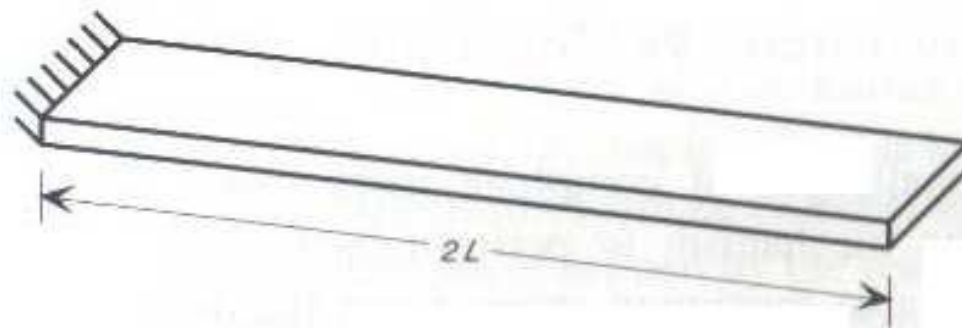
$\frac{\delta}{2}$



$\frac{\delta}{8}$



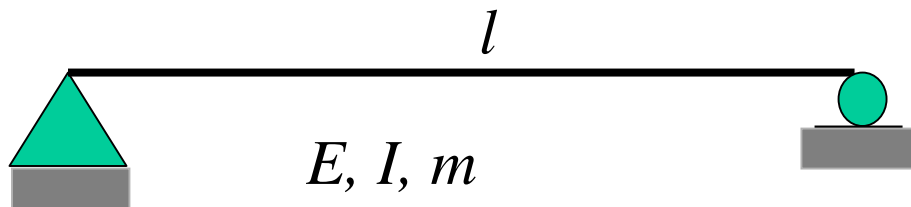
8δ



Frequência natural

Modelo simples: $\omega = \sqrt{k/m}$

Exemplo: flexão



Deflexão no centro da viga:

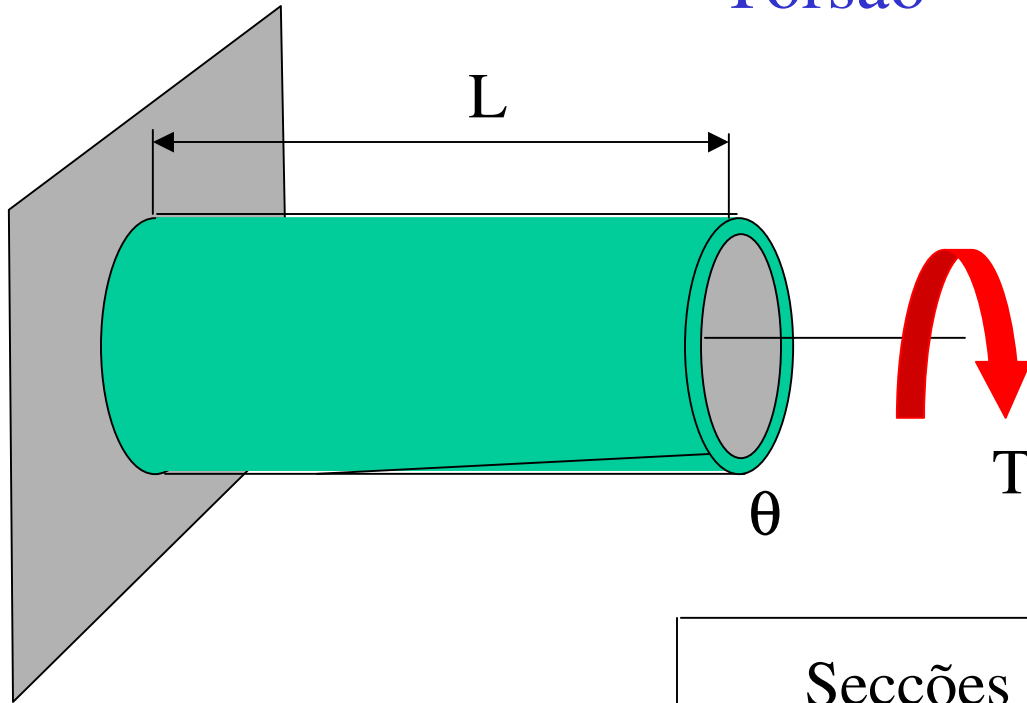
$$\delta = Pl^3/48EI$$

Supondo que $m/2$ está concentrado no centro:

$$\omega = \sqrt{\frac{48EI}{L^3(m/2)}} = 9.80\sqrt{\frac{EI}{mL^3}}$$

valor exato: 9.87

Torsão



$$\frac{T}{\theta} = \frac{GJ}{L}$$

Tubo (secção circular):

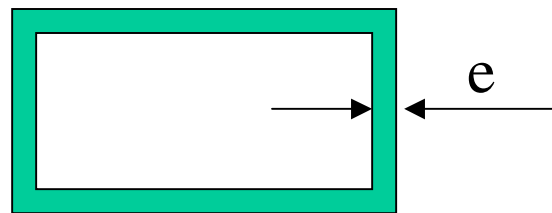
$$J = \frac{\pi(D_e - D_i)^4}{32}$$

frequência natural: torsão

$$\omega = \sqrt{\frac{K_\theta}{J_m}}$$

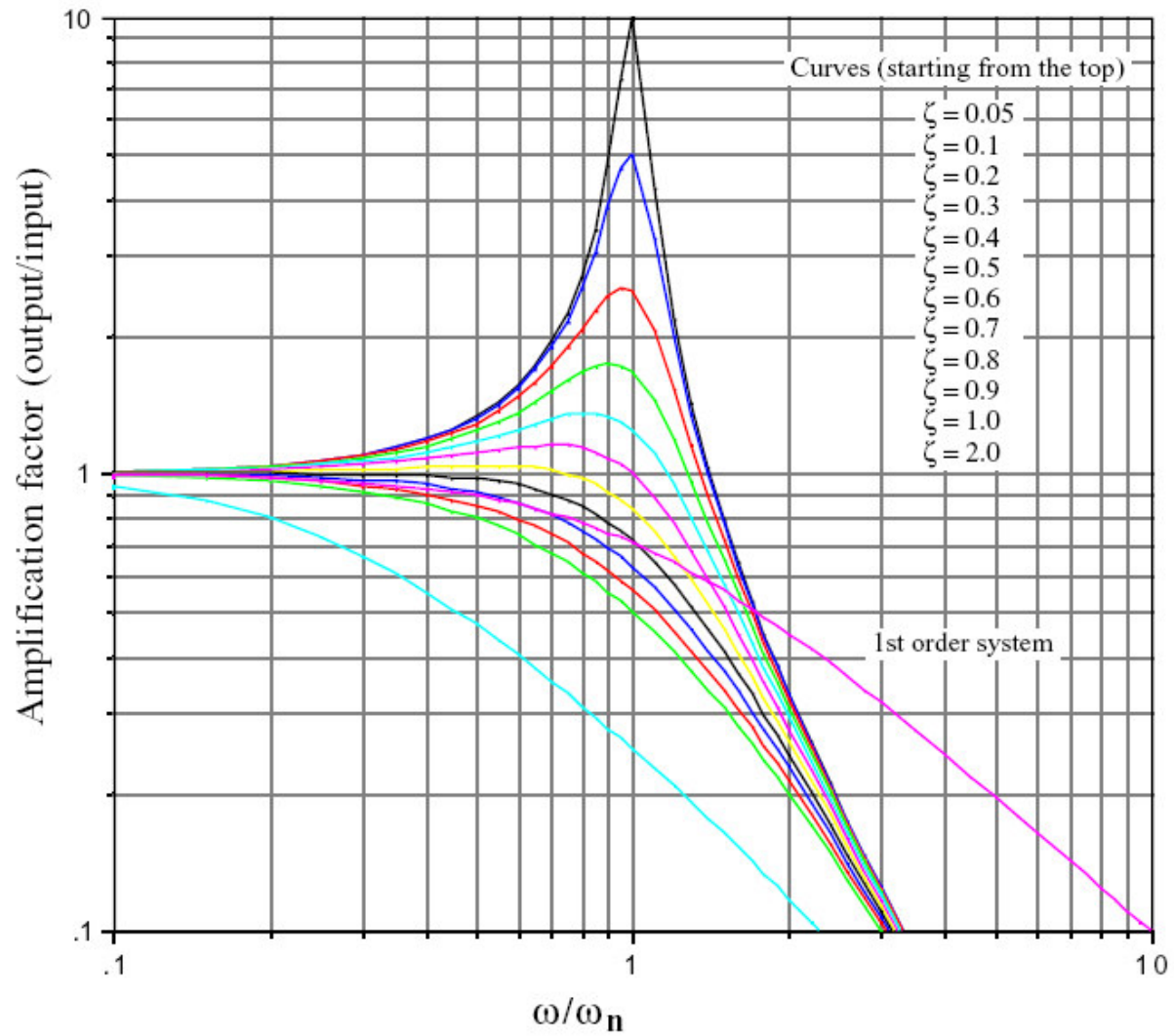
J_m = mom. Inércia de massa

Secções fechadas de paredes finas



$$\frac{T}{\theta} = \frac{4GA_{sm}^2 e}{P_{sm} L}$$

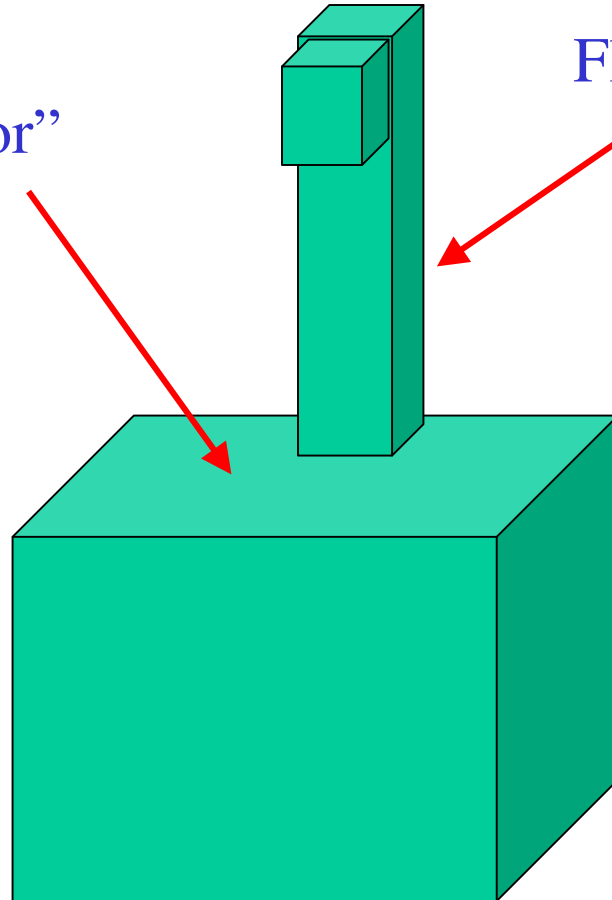
Sistema dinâmico de segunda ordem



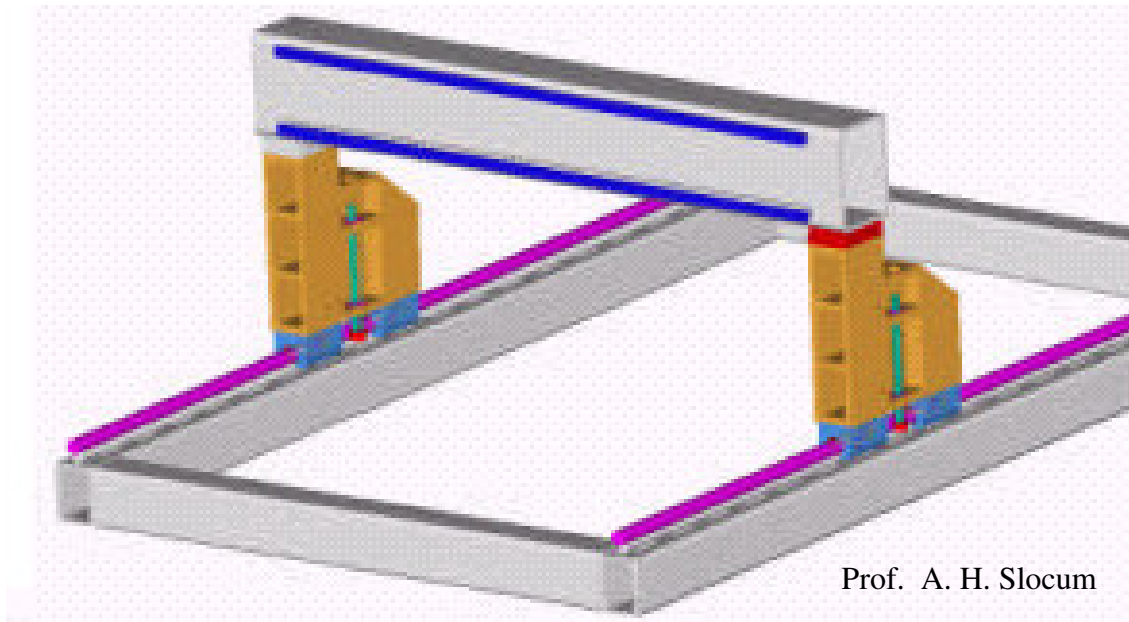
Cuidados!

Rigidez local:
“tambor”

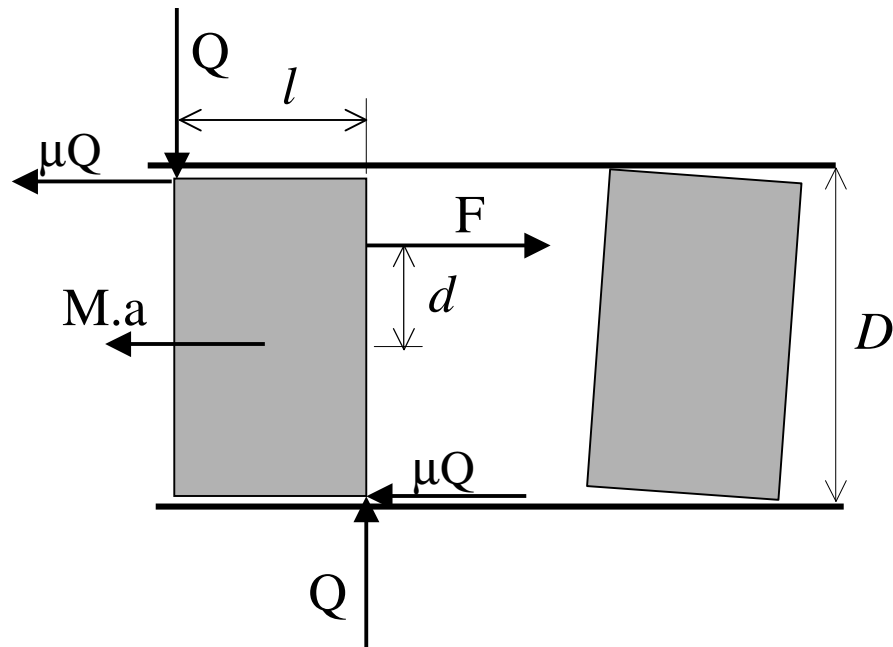
Flexão e torção



Movimento suave

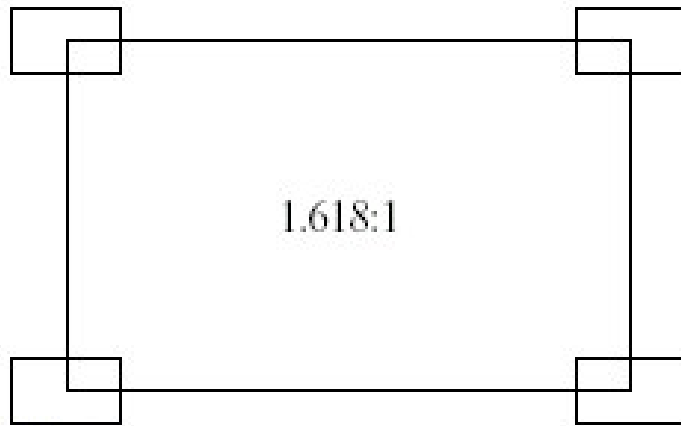


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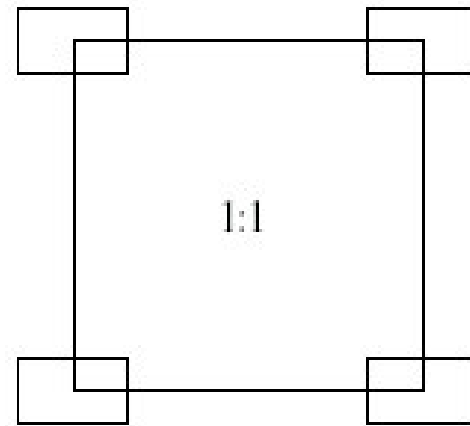


Ideal:

$$l \sim 2D$$

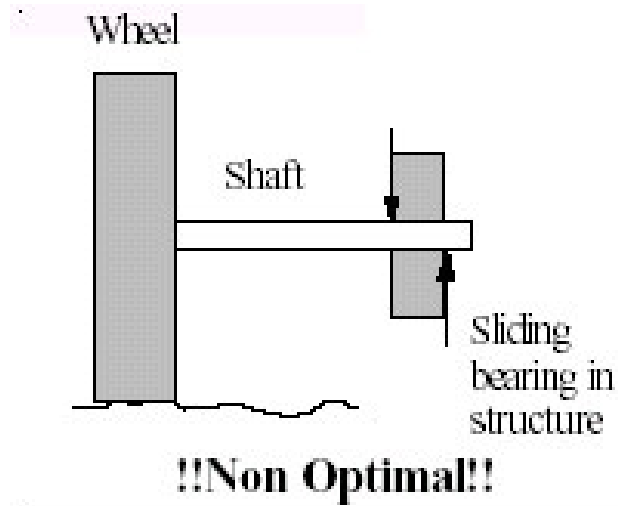


Boa escolha!



Mínimo recomendável

Mancal para eixo



$L/D > 3$

